Perceptual singularities in Smooth Orientation-Defined Textures Segregation without feature gradient

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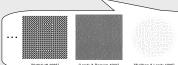
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(i) Motivation and Background

Current state of affairs

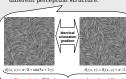
- A central notion in texture segregation is feature gradient.
- Existing results in orientation-based texture segregation (OBTS) link percentual boundaries to orientation gradients: outstanding orientation gradients signal perceptual singularities and boundaries
- Most OBTS research is based on piecewise-constant orientation-defined textures (ODTs).



[Nothdurft 1985] [Landy & Bernem 1991]

New observations: Perceptual singularities in smooth ODTs

- · Smoothly varying ODTs almost always exhibit salient perceptual singularities
- · These perceptual singularities have no apparent relationship to the orientation gradient.
- Stimuli of identical orientation gradients can exhibit drastically different perceptual structure.



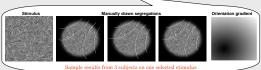


Research questions

- · Are perceptual singularities without feature gradient significant visual events
- Are perceptual singularities without feature gradient indeed dissociated from feature gradient?
- If orientation gradient is not the determinant factor, what theory would make correct predictions about the occurrence and spatial location of these perceptual singularities in smoothly varying ODTs?
- Would the derived model apply to classical cases of perceptual singularities due
- What are the implications to theories of texture perception and segregation in

(ii) Experiment 1 - Free Viewing Segregations

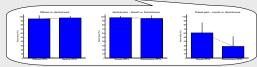
- · Stimuli: 24 dense ODT stimuli (both piecewise-constant and smoothly varying), all intensity modulated as to create fading circular margins, to minimize effect from image margins. Piecewise smooth ODTs were generated from random quadratic
- · Task: tracing salient boundaries and curves. Free-viewing conditions with no time limit. Only piecewise-constant stimuli (i.e., no smoothly varying ones) were shown
- Results compared qualitatively both for (i) between-subjects consistency and for (ii) correspondence with regions of high orientation gradients. All subjects traced multiple curves on the smoothly varying ODTs in a highly consistent manner and always independently of the orientation gradient.



· A variation of this experiment with texel-based ODTs yielded the same results.

(iii) Experiment 2 - Preattentive discrimination

- Stimuli: 10 phased pairs with 90° phase shift
- > 7 smoothly varying pairs
- > 3 piecewise-constant pairs
- Each trial incorporated either
- ➤ two identical ODTs
- > two different ODTs
- > two phased ODTs (the critical trials)
- 15 naïve subjects. 300 trials/exp.
- Task: 2AFC discrimination between the ODTs in the sequence
- Results: while discrimination of different ODTs and identification of identical ODTs was equally accurate and nearly flawless (95%), regardless of stimulus type, discrimination accuracy for phased pairs was significantly better for smoothly-varying ODTs than piecewise-constant ones (32. 5% difference, p<0.00005).

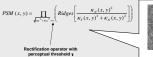


Salient structure and perceptual singularities in smoothly-varying ODTs

(iv) A novel saliency theory and a Perceptual Singularity Measure (PSM)

A different (differential) geometrical point of view

- A moving (Frenet) frame representation leads to two ODT curvatures, one tangential $(\kappa_{\!\scriptscriptstyle T})$ and one $normal(\kappa_N)$. The pair $\{\kappa_T, \kappa_N\}$ fully generalizes and extends the orientation gradient...
- While neither curvature by itself predicts perceptual singularities and saliency in smoothlyvarying ODTs, a measure combining them both does so very accurately [Ben-Shahar, 200□]:







 $\theta 0 \in \{\theta_{diag}(g,d), \theta_{officer}(g,d)\}$



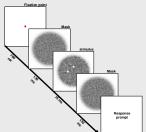


 $\kappa_{\tau} = w_{12}(\vec{E}_{\tau}) = \nabla \theta \cdot \vec{E}_{\tau}$ $\kappa_N = w_{12}(\vec{E}_N) = \nabla \theta \cdot \vec{E}_N$ [Ren-Shahar & Zucker 2003]

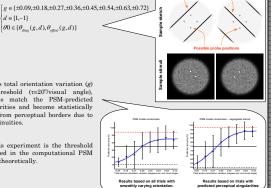
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(v) Experiment 3 - Examination of proposed PSM via preattentive segregations Stimuli: Total of 72 stimuli with predicted straight singularities either

- along the image diagonal or offset from it
- ► □4 smoothly-varying ODTs of the form $\theta(x, y) = \theta_0 + g \cdot (x + d \cdot y)$ $d \in \{1, -1\}$
- > 8 corresponding piecewise-constant pairs (control) > Two probes on two neighboring corners of a fixed diamond
- 10 naïve subjects. 57 □ trials/exp.
- · Task: Did the probes belong to the same perceptual segment or not?.



- · Results: As soon as total orientation variation (a) exceeds some threshold (7220°/visual angle) subjects' responses match the PSM-predicted perceptual singularities and become statistically indistinguishable from perceptual borders due to orientation discontinuities
- A byproduct of this experiment is the threshold value (τ) to be used in the computational PSM measure proposed theoretically.



(vi) Summary

- Perceptual organization, saliency, and perceptual singularities in texture perception cannot be determined reliably from feature gradient: although outstanding feature gradient often do signal perceptual singularities, the lack of the former does not imply perceptual coherence.
- Salient structure and perceptual singularities in smoothly-varying ODTs are dissociated from the orientation gradient of the texture.
- Accurate localization of perceptual singularities in smoothly varying ODTs (extends to any ODT) emerges directly and solely from their curvature properties and can be modeled by the proposed PSM.

...and a solved mystery

The theory and results presented here also solve a decade long open question [Field, □ayes, and □ess 1993]: Why would there be perceptual inhomogeneities in line array textures with fixed orientation differences throughout?

The answer clearly relates to the perceptual singularities discussed here. The perceptual structure in [Field etal 1993] is accurately predicted by the presented theory!



